

## IEEE P802.15 Wireless Personal Area Networks

Project	IEEE P802.15 Working Group for Wireless Personal Area Networks (WPANs)	
Title	<b>Draft D15 Annex B Security Implementation AES-CCM</b>	
Date Submitted	[14 January, 2003]	
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Re:	[]	
Abstract	[This document provides replacement text that supports a single AES-CCM specification across 802.11 WLANs and 802.15 WPANs, which completely conforms to the NIST submission of the AES-CCM mode]	
Purpose	[Assist sponsor ballot comment resolution for the Draft D15 for the IEEE 802.15.3 WPAN.]	
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Release	The contributor acknowledges and accepts that this contribution becomes the property of IEEE and may be made publicly available by P802.15.	

### Editorial note:

The text below provides complete replacement text for Annex B.1, as currently specified in Draft D15 of the 802.15.3 specification, in support of a single AES-CCM specification across 802.11 WLANs and 802.15 WPANs, which completely conforms to the NIST submission of the AES-CCM mode.

Adopting this replacement settles the following sponsor ballot comments:

#332, #334, #335, #336, #337.

If we add at the end of B.1 that integers are represented as bit strings in most-significant-bit first order, we also solve sponsor ballot comment #333.

## Annex B Security implementation

### B.1 CCM mode

CCM {xref CCM specification} is a generic combined encryption and authentication block cipher mode. CCM is only defined for use with block ciphers with a 128-bit block size, such as AES. The CCM ideas can easily be extended to other block sizes, but this will require further definitions.

For the CCM mode there are two parameter choices to be made. The first choice is  $M$ , the size of the authentication field, in octets. The choice of the value for  $M$  involves a trade-off between message expansion and the probability that an attacker can undetectably modify a message. Valid values for  $M$  are the integers 4, 6, 8, 10, 12, 14, and 16. The second choice is  $L$ , the size of the length field, in octets. This value requires a trade-off between the maximum message size and the size of the Nonce. Different applications require different trade-offs, so  $L$  is a parameter. Valid values for  $L$  are the integers 2, 3, ..., 8 (the value  $L=1$  is reserved). The parameters  $L$  and  $M$  are encoded as shown in Table {xref} B.1.

**Table B.1—Parameters of CCM mode**

Name	Description	Field Size	Encoding of field
$M$	Number of octets in authentication field	3 bits	$(M-2)/2$
$L$	Number of octets in length field	3 bits	$L-1$

Throughout this specification, the representation of integers as bit strings or octet strings shall be fixed. All integers shall be represented as octet strings in most-significant-octet first order.

#### B.1.1 Inputs

To encrypt a message using the CCM mode, the sender must provide the following information:

- An encryption key  $K$  suitable for the block cipher.
- A nonce  $N$  of  $15-L$  octets. Within the scope of any encryption key  $K$ , the nonce value shall be unique. That is, the set of nonce values used with any given key shall not contain any duplicate values. Using the same nonce for two different messages encrypted with the same key destroys the security properties of this mode.
- The message  $m$ , consisting of a string of  $l(m)$  octets where  $0 \leq l(m) < 2^{8L}$ . The length restriction ensures that  $l(m)$  can be encoded in a field of  $L$  octets.
- Additional authenticated data  $a$ , consisting of a string of  $l(a)$  octets where  $0 \leq l(a) < 2^{64}$ . This additional data is authenticated but not encrypted, and is not included in the output of this mode. It can be used to authenticate plaintext headers, or contextual information that affects the interpretation of

the message. Users who do not wish to authenticate additional data can provide a string of length zero.

**Table B.2—Inputs for CCM**

Name	Description	Field Size	Encoding of field
$K$	Block cipher key	Depends on block cipher	String of octets.
$N$	Nonce	15- $L$ octets	Not specified
$m$	Message to be encrypted and sent	$l(m)$ octets	String of octets.
$a$	Additional authenticated data	$l(a)$ octets	String of octets.

**B.1.2 Authentication**

The first step is to compute the authentication field  $T$ . This is done using the CBC-MAC mechanism, truncating the output to the appropriate size. We first define a sequence of blocks  $B_0, B_1, \dots, B_n$  and then apply CBC-MAC to these blocks.

The first block  $B_0$  is formatted as follows:

**Table B.3—First authentication block  $B_0$**

Octet no:	0	1 ... 15- $L$	16- $L$ ... 15
Con- tents:	Flags	Nonce $N$	$l(m)$

The value  $l(m)$  is encoded in most significant octet first order.

Within the first block  $B_0$ , the Flags field is formatted as follows:

**Table B.4—Authentication flags octet**

Bit no:	7	6	5	4	3	2	1	0
Con- tents:	Reserved	Adata	$M$			$L$		

The Reserved bit is reserved for future expansions and shall be set to zero. The Adata bit is set to zero if  $l(a)=0$ , and set to one if  $l(a)>0$ . The  $L$  field and the  $M$  field are the 3-bit representations of the integer encodings of the CCM mode parameters  $L$  and  $M$ , as specified in Table {xref} B.1.

If  $l(a)>0$  (as indicated by the Adata field), then one or more blocks of authentication data are added. These blocks contain  $l(a)$  and  $a$  encoded in a reversible manner. We first construct the string that encodes  $l(a)$ .

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If  $0 < l(a) < 2^{16}-2^8$  then the length field is encoded as the two-octet encoding of  $l(a)$  in most significant octet first order.

If  $2^{16}-2^8 \leq l(a) < 2^{32}$  then the length field is encoded as six octets consisting of the right-concatenation of the octets 0xff, 0xfe, and the four-octet encoding of  $l(a)$  in most significant octet first order.

If  $2^{32} \leq l(a) < 2^{64}$  then the length field is encoded as ten octets consisting of the right-concatenation of the octets 0xff, 0xff, and the eight-octet encoding of  $l(a)$  in most significant octet first order.

This is summarized in the following table. Note that all fields are interpreted in most significant octet first order).

**Table B.5—Length encoding for additional authentication data**

First two octets	Followed by	Comment
0x0000		Reserved
two-octet $l(a)$		For $0 < l(a) < 2^{16} - 2^8$
0xFF00 ... 0xFFFFD		Reserved
0xFFFFE	four-octet $l(a)$	For $2^{16} - 2^8 \leq l(a) < 2^{32}$
0xFFFFF	eight-octet $l(a)$	For $2^{32} \leq l(a) < 2^{64}$

The blocks encoding  $a$  are formed by right-concatenating the octet string that encodes  $l(a)$  with  $a$  itself, and splitting the result into 16-octet blocks, right-padding the last block with zeroes if necessary. These blocks are right-appended to the first block  $B_0$ .

After the (optional) additional authentication blocks have been added to the first block  $B$ , we right-concatenate the message blocks hereto. The message blocks are formed by splitting the message  $m$  into 16-octet blocks, right-padding the last block with zeroes if necessary. Note that if the message  $m$  is the empty string, no blocks are added in this step.

The result of these two steps is the sequence of 16-octet blocks  $B_0, B_1, \dots, B_n$ .

The CBC-MAC is now computed as follows:

$$X_1 := E(K, B_0);$$

$$X_{i+1} := E(K, X_i \oplus B_i) \quad \text{for } i=1, \dots, n,$$

where  $E()$  is the block cipher encryption function and  $T$  is the MAC value. The 16-octet string  $X_{n+1}$  is the resulting CBC-MAC value.

The authentication tag  $T$  is the result of truncating  $X_{n+1}$  to the leftmost  $M$  octets hereof.

### B.1.3 Encryption

To encrypt the message data we use the counter (CTR) mode. We first define the key stream blocks by

$$S_i := E(K, A_i) \text{ for } i=0, 1, 2, \dots, \text{ where}$$

the encryption blocks  $A_i$  are formatted as shown in Table {xref} B.6.

**Table B.6—Encryption blocks  $A_i$**

Octet no:	0	1 ... 15- $L$	16- $L$ ... 15
Con- tents:	Flags	Nonce $N$	Counter $i$

where  $i$  is encoded in most significant octet first order.

Within each encryption block  $A_i$ , the Flags field is formatted as shown in Table {xref} B.7.

**Table B.7—Encryption flags octet**

Bit no:	7	6	5	4	3	2	1	0
Con- tents:	Reserved	Reserved	0			$L$		

The nonce  $N$  in Table {xref} B.6 shall be formatted in the same way as the corresponding field in Table {xref} B.3.

The Reserved bits are reserved for future expansions and shall be set to zero. Bit 6 corresponds to the Adata bit in the  $B_0$  block, but as this bit is not used here, it is reserved and shall be set to zero. The bits 3, 4, and 5 are set to 0. This ensures that all the  $A$  blocks are distinct from the  $B_0$  blocks that are actually used, as those have a non-zero encoding of  $M$  in this position. Bits 0, 1, and 2 contain  $L$ , using the same encoding as in  $B_0$ .

The encrypted message is the result of XORing the octets of the message  $m$ , in order, with the leftmost  $l(m)$  octets of the right-concatenation of  $S_1, S_2, S_3, \dots$ . Note that  $S_0$  is not used to encrypt the message; it is used to encrypt the authentication field  $T$  instead.

The encrypted authentication value  $U$  is the result of XORing the octets of the authentication field  $T$  determined in Subclause {xref} B.1.2 with the leftmost  $M$  octets of the key stream block  $S_0$ , i.e.,

$$U := T \oplus \text{leftmost-}M\text{-octets}(S_0)$$

### B.1.4 Output

The encrypted and authenticated message  $c$  that is the output of the CCM mode computation is the right-concatenation of the encrypted message and the encrypted authentication value  $U$ .

### B.1.5 Decryption

To decrypt a message the following information is required:

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- 1 — The encryption key  $K$ .
- 2 — The nonce  $N$ .
- 3 — The additional authenticated data  $a$ .
- 4 — The encrypted and authenticated message  $c$ .

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6 Decryption starts by recomputing the key stream to recover the message  $m$  and the authentication field  $T$ .  
7 The message and additional authentication data is then used to recompute the CBC-MAC value and check  $T$ .

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9 If the  $T$  value is not correct, the receiver shall not reveal any information except for the fact that  $T$  is incor-  
10 rect. In particular, the receiver shall not reveal the decrypted message, the value  $T$ , or any other information.

### 11 B.1.6 Restrictions

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13 All implementations shall limit the total amount of data that is encrypted with a single key. The sender shall  
14 ensure that the total number of block cipher encryption operations in the CBC-MAC and encryption together  
15 shall not exceed  $2^{61}$ . (This allows close to  $2^{64}$  octets to be encrypted and authenticated using CCM, which  
16 should be more than enough for most applications.) Receivers that do not expect to decrypt the same mes-  
17 sage twice may also implement this limit.

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19 The recipient shall verify the (truncated) CBC-MAC before releasing any information such as the plaintext.  
20 If the CBC-MAC verification fails, the receiver shall destroy all information, except for the fact that the  
21 CBC-MAC verification failed.

### 22 B.1.7 List of symbols

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27 Table {xref} B.8 provides a list of the symbols used for the above specification of CCM.

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30 **Table B.8—List of symbols**

31 Name	32 Description	33 Size	34 Comment
35 $a$	Additional authenticated data	$l(a)$ octets	Use empty string if not desired.
36 $A_i$	Counter block to generate key stream	16 octets	Contains block counter, nonce, and flags.
37 $B_i$	Input block for CBC-MAC	16 octets	Together encode $N$ , $L$ , $M$ , $m$ , and $a$ uniquely.
38 $c$	Ciphertext	$l(m) + M$ octets	Includes the encrypted MAC
39 $K$	Block cipher key	Depends on block cipher	At least 128 bits, preferably 256 bits.
40 $L$	Number of octets in length field	3 bits	Integer values 1, 2, ..., 8, encoded in 3 bits as $L-1$ .
41 $m$	Message to be encrypted and sent	$l(m)$ octets	Subject to $0 \leq l(m) < 2^{8L}$
42 $M$	Number of octets in authentication field	3 bits	Values 4, 6, 8, 10, 12, 14, 16. Encoded value is $(M-2)/2$

**Table B.8—List of symbols**

$N$	Nonce	15- $L$ octets	Nonce shall never be repeated for same key.
$S_i$	Block of the encryption key stream	16 octets	Use $S_0, S_1, S_2, \dots$ to encrypt $m$ and $T$ .
$T$	Unencrypted authentication field	$M$ octets	Result of CBC-MAC calculation.
$U$	Encrypted authentication field	$M$ octets	Appended to the message after encryption
$X_i$	Intermediate value of CBC-MAC	16 octets	

Editorial note: Add the following two informative references to the draft:

R. Housley, D. Whiting, N. Ferguson, Counter with CBC-MAC (CCM), submitted to N.I.S.T., June 3, 2002. Available from <http://csrc.nist.gov/encryption/modes/proposedmodes/>.

J. Jonsson, On the Security of CTR + CBC-MAC, NIST Mode of Operation - Additional CCM Documentation. Available from <http://csrc.nist.gov/encryption/modes/proposedmodes/>.

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