

# FEC code for 25/50/100G EPON

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# Outline

- ❖ Forward error control code families
- ❖ FEC gain
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- ❖ Error models for PON
- ❖ FEC requirements for 25/50/100G-EPON
- ❖ Previously proposed FEC
- ❖ Comparison suitable codes propose thus far
- ❖ Conclusions

# Forward Error Control Code Families

## Algebraic Codes

- Symbol-based: for example RS codes, good for random and bursty errors
- Binary codes: BCH codes achieve additional coding gain with similar code compared to RS codes, but the performance is reduced for non-memoryless channels.

## Algebraic Component Codes

- Concatenated codes/product codes: iterative decoding
- Folded codes: use a larger alphabet to increase coding gain
- Interleaved codes: increase burst error correction capability (increased latency)

## Low-Density Parity-Check (LDPC) codes and Turbo codes

- A wide variety of code constructions and interleaver designs
- Performance and code rate tends to improve for longer code lengths.
- Ability to handle soft-input, and/or to use soft-decoding.

# Forward Error Control Code Families - Algebraic Codes

## Reed Solomon (RS) codes

Notation: RS( $n, k$ ) code over GF( $2^m$ ), symbol-size:  $m$  bits, length:  $n$  symbols, of which  $k$  information symbols, length in bits:  $n \cdot m$ .

- Guaranteed to correct up to  $t = (n - k)/2$ , error performance can be computed (AWGN)
- Guaranteed to correct a single burst up to length  $(t - 2) \cdot m + 2$
- Flexible, easy to adjust code length and code rate
- Widely used in optical systems, DSL, ...
- Interleaving of  $p$  RS( $n, k$ ) codes: burst error:  $(t - 1) \cdot p \cdot m - m + 2$

## Bose Chaudhuri Hocquenghem (BCH) codes

Notation: BCH( $n, k$ ) codes over GF( $2^m$ ), bit-oriented

- Guaranteed minimum error correction capability:  $t = (n - k)/m$ , for high-rate codes
- Burst error capability:  $t$
- Flexible, easy to adjust code length and code rate
- Interleaving of  $p$  BCH( $n, k$ ) codes: burst error:  $p \cdot t$ .

See [1,2,] for further details

# Forward Error Control Code Families – LDPC codes

## Low-Density Parity Check Codes

Parameters: code length  $n$ , with  $k$  information bits, and an  $m \times n$  parity-check matrix  $\mathbf{H}$ .

- Minimum distance depends on design and may be low (possibility of an error floor)
- Code performance is typically determined by simulation
- The effect of burst errors is spread across the code by interleaving
- Adjustment of code length and code rate needs careful puncturing
- Massively parallel implementation of the decoder is possible
- Trade-offs regarding decoder performance, gate count, latency.

## Turbo Codes

Parameters: generator polynomials for component code, specification of interleaver.

- A more serial encoding and decoding structure
- Particularly interesting for lower rate codes; more challenging to design good high-rate codes
- Codes are more likely to be used in combination with retransmission schemes
- Code performance is typically determined by simulation

See [1,2] for further details

# FEC gain: Optical FEC gain is different from electrical FEC gain

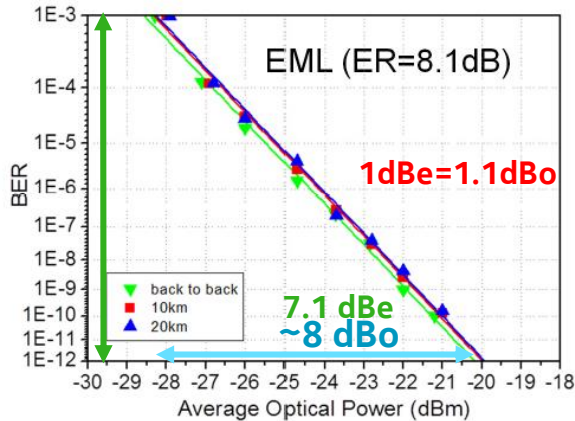
Due to optical receiver noise:

- APD receiver case

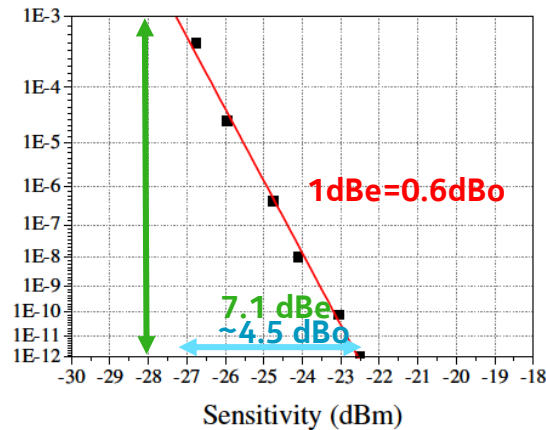
0.7-0.9 × electrical gain (depending on thermal/shot noise ratio)

>1 × electrical gain (practical links)

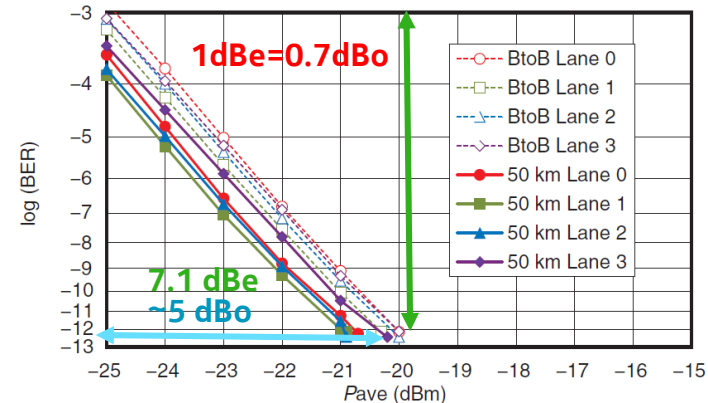
**However the slope is important to determine optical FEC gain relative to RS(255,223)**



[pan\\_3ca\\_1\\_0916.pdf](#)



M. Huang et al., "Breakthrough of 25Gb/s Germanium on Silicon Avalanche Photodiode" OFC 2016, Tu2D.2.

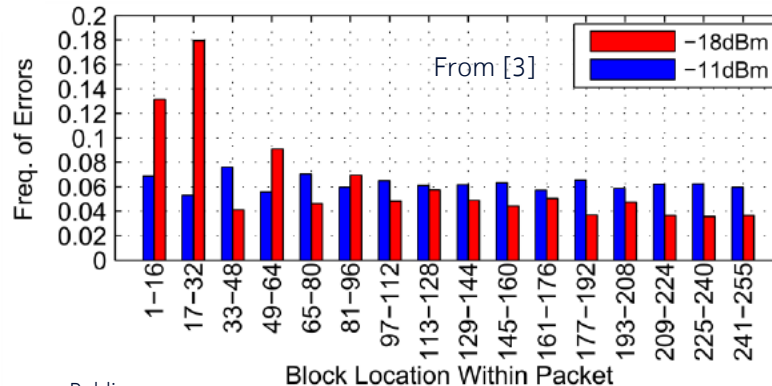


T. Yoshimatsu et al., "Compact and high-sensitivity 100-Gb/s (4 × 25 Gb/s) APD-ROSA with a LAN-WDM PLC demultiplexer," Opt. Express **20**, B393-B398 (2012)

# FEC gain

*Other factors affecting performance after FEC:*

- effect of intersymbol interference (ISI) due to chromatic dispersion and limited bandwidth: signal dependencies across symbols, burst-like errors (channel with memory)
- burst-mode receiver: Bursty errors at start of burst, BER variations between bursts of same ONU (burst mode penalty)
- twin errors in conventional NRZ-case when using precoding: twin errors are absorbed by symbol-based FEC codes with probability  $(m-1)/m$ , and as such have a higher relative coding gain for twin errors when compared with bit-oriented FEC codes, where the number of observed bit errors doubles.



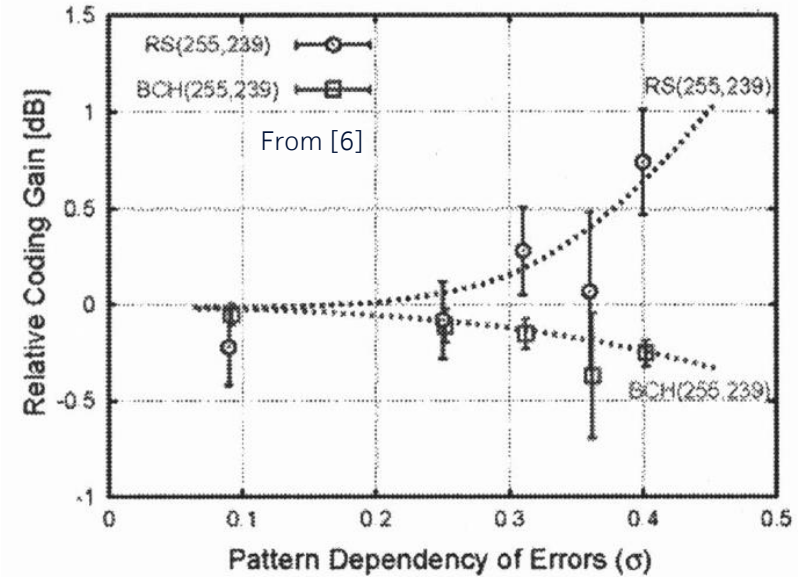
# Burst mode receivers

## RS-FEC for burst mode transmission

**Significant reduced FEC gain due to non-random error distributions from BM receiver effects have been shown:**

- in [3]: 10G AC-coupled BM Rx with RS(248,216):  $8e-4 \rightarrow 1e-12$  for BM instead of  $1e-3$ , bursty errors at start burst
- In [4]: 2.5G DC-coupled BM Rx with RS(248,232):  $2e-6 \rightarrow 1e-12$  instead of  $1e-4$ , BER not same for each burst due to for example threshold extraction errors (burst mode penalty)
- In [5]: 10G optical pre-amplified BM Rx with RS(255,223):  $5e-5/5e-6 \rightarrow 1e-12$  instead of  $1.1e-3$ , burst errors at start of burst due to transients
- In [5]: *Downstream* transmission also showed a reduced FEC gain:  $2e-4 \rightarrow 1e-12$  instead of  $1.1e-3$ , due to the 64B/66B descrambler and ISI effects

***There is a trade-off between optical overhead (preamble) and the reduced FEC gain in upstream PON***



**Table.1** Data-pattern dependency of errors

Degradation Factor	$\sigma$
ASE Noise	0.09
XPM	0.25
Stimulated Raman Crosstalk	0.31
Linear Crosstalk	0.36
IFWM	0.40

Normalized standard deviation  $\sigma$ , of number of number of errors with respect to bit position for different impairments: (from ref [6])



# Error models for PON

- Even for errors occurring in the continuous mode downstream PON transmission, the ideal AWGN model is over-estimating performance of 8-bit symbol RS codes (channel is not complete random)
- Codes with shorter burst error correcting capability will perform worse for non-memoryless channels
- In upstream the errors are dependent on position in the burst, settling effects cause more bursty errors at start of the burst, causing the error correction to fail at beginning of burst
- We could introduce bursty errors similarly to for example done in the Gilbert-Elliott model [7][8] for a more correct channel model for especially the upstream direction PON (more states can be added to model burstiness throughout burst in time)

Gilbert-Elliott model has two states: *G* (for good or gap) and *B* (for bad or burst). The model uses state transition probabilities and channel parameters for the states.

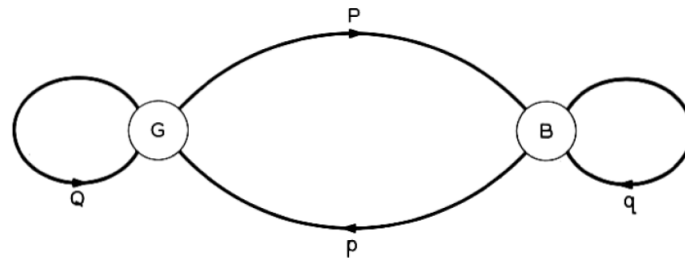


Fig. 1 — Transition diagram for the Markov chain.

# Previously proposed FEC

## Enhanced FEC example

The hard decoding FEC codes listed in the following table can provide 1dB and 2dB more coding gain than RS(255,223) which provides 7.1dB of electrical coding gain.

Enhanced FEC example for 1dB coding gain improvement

FEC code	Decision	Length(bit)	Code rate	Electrical coding gain(dBe) @e-12
RS(1023,847)	Hard	10230	0.83	8.5
BCH(4095,3501)	Hard	4095	0.85	8.5
LDPC(16000,13952)	Hard	16000	0.87	8.9
LDPC(8000,6848)	Hard	8000	0.86	8.8

Enhanced FEC example for 2dB coding gain improvement

FEC code	Decision	Length(bit)	Code rate	Electrical coding gain(dBe) @e-12
RS(2047,1431)	Hard	10230	0.70	9.6
BCH(4095,3081)	Hard	4095	0.75	9.6
BCH(186,161) X BCH(209,184)	Hard	38874	0.76	10.5
LDPC(19200,16000)	Hard	19200	0.83	9.6

from: effenberger\_3ca\_1\_1116.pdf

# Previously proposed FEC

## Folded BCH Product Capabilities

FEC Code	Length (bits)	Code Rate	Electrical Coding gain(dBe) @E-12
RS(2047,1431)	10230	0.7	9.6
BCH(4095, 3081)	4095	0.75	9.6
BCH(186,161) X BCH(209,184)	38874	0.76	10.5
Folded Product Code	16384	0.8	10.1
RS(1023,847)	10230	0.83	8.5
LDPC(19200,16000)	19200	0.83	9.6
Folded Product Code	36864	0.83	9.9
Folded Product Code	16384	0.83	9.7
BCH(4095, 3501)	4095	0.85	8.5
Folded Product Code	36864	0.85	9.7
Folded Product Code	16384	0.85	9.4
LDPC(8000,6848)	8000	0.86	8.8
LDPC(16000,13952)	16000	0.87	8.9
Folded Product Code	36864	0.87	9.4
Folded Product Code	16384	0.87	9.2
Folded Product Code	36864	0.9	9
Folded Product Code	16384	0.9	8.6

## Folded BCH Overview

- Developed and used as ECC for FLASH memory
  - Provides higher NECG for a given code rate
  - Market is driving BER to be better than  $10^{-15}$
  - Lower power than LDPC
  - Speeds in excess of 3+GB/s (24+Gb/s)
  - No BER floor
  - Based on BCH  $t \leq 3$  codes

from: laubach\_3ca\_1\_0117.pdf

## FEC requirements for 25/50/100 EPON

- Limit Overhead to 18% (coding rate 0.82), so we can support two 10G with 25G (from [laubach\\_3ca\\_1\\_0117.pdf](#))
- Needs good burst error correction capability because especially upstream PON channel is not random (ISI, burst settling effects, etc.)
- Block length limited by upstream: Max. Ethernet Frame=1.5 kbytes, codeword size range of 2k to 4k bytes (“provides a workable balance of decoding latency, complexity, and Net Effective Coding Gain(NECG)” in [laubach\\_3ca\\_1\\_0117.pdf](#)).
- FEC gain ~8.5-10 dBe (target 1-2 dBo extra compared to RS(255,223)) ideally using channel with memory
- Hard decision (enabling conventional (direct detection) 25G NRZ)
- Same FEC for up- and downstream (from [laubach\\_3ca\\_1\\_0117.pdf](#))
- Low implementation complexity
- Low power consumption
- Latency requirement?
- Flexibility?

# Comparison of suitable codes proposed thus far

## Using ideal AWGN-model

FEC code	OH (%)	FEC Gain (dBe) @BERout =1e-12	BERin for BERout =1e-12	Optical gain delta relative to RS(255,223) (dBo)*	Length (bits)	Burst errors Capable (bits)	Power consumption	Complexity	Latency
RS(255,223)	12.5	7.1	1e-3	0	2040	121	low	low	low
RS(1023,847)	17.2	8.5	4e-3	1-1.25	10230	871	med	low	low
BCH(4095,3501)	15	8.5	4e-3	1-1.25	4095	49	med	low	low
LDPC(16000,13952)	13	8.9	5.8e-3	1.25-1.6	16000	?	high	high	high
LDPC(19200,16000)	17	9.6	1e-2	1.75-2.25	19200	?	high	high	high
Folded product BCH	17	9.7	1.1e-2	1.8-2.35	16384	?	?(<LDPC)	?	?

\*) Assuming APD-based receiver with 1 dBe = (0.7-0.9) dBo

We have to be careful when comparing FEC gain relative to RS(255, 223) for alternative codes that have shorter burst error capabilities. Coding gain improvement might turn out smaller than expected!

## Conclusion

### **We propose a 10-bit symbol RS(n,k) code with length ~1000 symbols (for example RS(1023,847)) for 25/50/100G EPON**

- Its burst correcting capability of 871 bits (35 ns at 25 Gbps) is a reasonable order of magnitude for burst mode settling effects (likely performing even better than RS(255,223) which can handle 4.8 ns error bursts at 25 Gbps)
- Its overhead of 17% enables two 10 Gbps services within 25 Gbps (further increasing code length can reduce OH and/or increase FEC gain if needed)
- It provides  $\geq 1$  dB optical FEC gain relative to RS(255,223)
- Reed Solomon codes have a proven track record in TDM-PONs
- Length RS(n,k) codes is flexible (can easily be truncated with zero padding)
- A symbol-based RS code is very effective for mitigating 'twin errors' due to differential precoding in the conventional NRZ case,  $\sim 0.5$  dB optical penalty before and  $\sim 0.1$  dB after FEC for the example RS code, see also [houtsma\\_3ca\\_1\\_0916.pdf](#)

**Exact code parameters to be determined to match linecode, etc.**

# References

- [1] L. Schmalen, A.J. de Lind van Wijngaarden, and S. ten Brink, "Forward error correction in optical core and optical access networks," *Bell Labs Techn. J.*, vol. 18, no. 3, 2013, pp. 39-66.
- [2] T. Buerner, R. Dohmen, A. Zottmann, M. Saeger and A.J. van Wijngaarden, "On a high-speed Reed-Solomon coded architecture for 43 Gb/s optical transmission systems," in *Proc. Int'l Conf. on Microelectronics*, Nis, Serbia, May 2004, pp. 743-746.
- [3] D. van Veen, D. Suvakovic, M. F. Lau, H. Krimmel, A.J. de Lind van Wijngaarden, J. Galaro, J. Dungee, B. Farah, S. Corteselli, B. Weeber, R. Tebbe, D. Eckard, J. Smith, J. Bouchard, J. Kotch, and P. Vetter, "Demonstration of a symmetrical 10/10 Gbit/s XG-PON2 system," in *Proc. Optical Fiber Commun. Conf.*, Mar. 2011, paper NTuD2.
- [4] Y. Yi, S. Verschuere, Z. Lou, P. Ossieur, J. Bauwelinck, X-Z. Qiu and J. Vandewege, "Simulations and experiments on the effective optical gain of FEC in a GPON uplink", *IEEE Phot. Techn. Letts.*, vol. 19, no. 2, Jan. 2007, pp. 82-84.
- [5] D. Brunina, S. Porto, A. Jain, C. P. Lai, C. Antony, N. Pavarelli, M. Rensing, G. Talli, P. Ossieur, P. O'Brien, and P. Townsend, "Analysis of forward error correction in the upstream channel of 10 Gb/s optically amplified TDM-PONs," in *Proc. Optical Fiber Commun. Conf.*, 2015, paper Th4H.3.
- [6] A. Agata and N. Edagawa, "Performance analysis of forward error correction codes for various degradation factors in optical transmission system", in *Proc. Optical Fiber Commun. Conf.*, Mar. 2002.
- [7] E.O. Elliott, "Estimates of error rates for codes on burst-noise channels", *Bell Sys. Techn. J.*, vol. 42, no. 5, Sep. 1963, pp.. 1977-1997.
- [8] E.N. Gilbert, "Capacity of a burst-noise channel", *Bell Sys. Techn. J.*, vol. 39, no. 5, Sep. 1960, pp.1253-1265

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