SNDR Insertion Loss Adjustments

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May IEEE802.3 interim meeting, Annapolis, MD USA

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- □ Background
- □ Simulation Proxy Experiment for Measurements
- □ SNDR results
- Loss Adjustment Factor
- □ Summary and Proposal

Background

□ SNDR is defined in 120D.3.1.55

- $SNDR = 10 * log_{10} \left(\frac{p_{max}^2}{\sigma_e^2 + \sigma_n^2} \right)$
- Equalization is not required to make the measurement

 \Box Consider broadband noise is the usage model for $\sigma_e^2+\sigma_n^2$

- The old assumption is that SNDR does not change with channel insertion loss because the power ratio of pulse peak, As $(h^{(0)}(t_s))$, and the noise will not change with loss. Is this assumption valid?
- COM Annex 93A computations use a broadband noise impairment, ${\sigma_{TX}}^2$ which is included in the broadband receiver noise variance ${\sigma_g}^2\,$ used to compute COM

•
$$\sigma_{TX}^2 = \left[h^{(0)}(t_s)\right]^2 10^{-SNR_{TX}/10}$$

• Note: For many cases, SNR_{TX} is approximately SNDR

Motivation

ORIGINALLY PROPOSED IN healey_3dj_01_2401

- Computation for determining noise from a transmitter noise is described in Annex 178A (figure 178A-7)
- □ This noise is used for the computation of COM in Annex 178A
- □ As indicated below transmitter noise is injected at the transmitter source



Simple Experiment

SIMULATION AS A PROXY FOR SNDR MEASUREMENTS



Simulation Details



Channel list and IL Plots 5.5 dB to 27.9 dB



channel group	Channel file name
ISI board	L3_025mm.s4p
ISI board	L3_050mm.s4p
ISI board	L3_075mm.s4p
ISI board	L3_100mm.s4p
ISI board	L3_125mm.s4p
ISI board	L3_150mm.s4p
ISI board	L3_175mm.s4p
ISI board	L3_200mm.s4p
ISI board	L3_225mm.s4p
ISI board	L3_250mm.s4p
akinwale_3df_01_2209	C2M_PCB_85ohms_10dB_202208016_v2_thru1.s4p
akinwale_3df_01_2209	C2M_PCB_85ohms_11dB_202208016_v2_thru1.s4p
heck_3dj_02_2403	Tx_2in_Rx_thru1.s4p
heck_3dj_02_2403	Tx_3in_Rx_thru1.s4p
heck_3dj_02_2403	Tx_4in_Rx_thru1.s4p
heck_3dj_02_2403	Tx_5in_Rx_thru1.s4p
heck_3dj_02_2403	Tx_6in_Rx_thru1.s4p
heck_3dj_02_2403	Tx_7in_Rx_thru1.s4p
heck_3dj_02_2403	Tx_8in_Rx_thru1.s4p
heck_3dj_02_2403	Tx_9in_Rx_thru1.s4p
kareti_3dj_02_2309	Cabled_Host_ball_ball_11db.s4p
rabinovich_3df_022422	KEY_C2M_200G_120G_2p5HCB_022422_Thru.s4p
rabinovich_3df_022422	KEY_C2M_200G_120G_4p0HCB_022422_Thru.s4p
rabinovich_3df_022422	KEY_C2M_200G_120G_2p5HCB_022422_Thru.s4p
rabinovich_3df_022422	KEY_C2M_200G_120G_4p0HCB_022422_Thru.s4p
weaver_3dj_elec_02_230831	C2M_X_OSFP224_5in_host_PCB_25C_thru_TP0_Tx7_to_TP1a_Tx7.s4p
weaver_3dj_elec_02_230831	C2M_X_OSFP224_7in_host_PCB_25C_thru_TP0_Tx7_to_TP1a_Tx7.s4p
weaver_3dj_elec_02_230831	C2M_X_OSFP224_7in_host_PCB_80C_thru_TP0_Tx7_to_TP1a_Tx7.s4p
weaver_3dj_elec_02_230831	C2M_X_OSFP224_7in_host_PCB_80C_thru_TP4a_Rx8_to_TP5_Rx8.s4p
weaver_3dj_elec_02_230831	C2M_Y_OSFP224_3in_host_PCB_25C_thru_TP0_Tx7_to_TP1a_Tx7.s4p
weaver_3dj_elec_02_230831	C2M_Y_OSFP224_3in_host_PCB_80C_thru_TP0_Tx7_to_TP1a_Tx7.s4p
weaver_3dj_elec_02_230831	C2M_Y_OSFP224_3in_host_PCB_80C_thru_TP4a_Rx8_to_TP5_Rx8.s4p
weaver_3dj_elec_02_230831	C2M_Y_OSFP224_5in_host_PCB_25C_thru_TP0_Tx7_to_TP1a_Tx7.s4p
weaver_3dj_elec_02_230831	C2M_Y_OSFP224_5in_host_PCB_25C_thru_TP4a_Rx8_to_TP5_Rx8.s4p
weaver_3dj_elec_02_230831	C2M_Y_OSFP224_5in_host_PCB_80C_thru_TP0_Tx7_to_TP1a_Tx7.s4p
weaver_3dj_elec_02_230831	C2M_Y_OSFP224_7in_host_PCB_80C_thru_TP4a_Rx8_to_TP5_Rx8.s4p

Loss reduces SNDR

RESULTS FOR ALL THE FILES



IEEE P802.3dj 200 Gb/s, 400 Gb/s, 800 Gb/s, and 1.6 Tb/s Ethernet Task Force

SNDR Referred back to transmit source

SNDR CAN BE CORRECTED



IEEE P802.3dj 200 Gb/s, 400 Gb/s, 800 Gb/s, and 1.6 Tb/s Ethernet Task Force

New concepts for receiver noise

FOR SNDR FROM THE TRANSMITTER NOISE

- Equations 178A–18 and 178A-31 computes the transmitter noise power variance seen at the receiver
 - $S_{tn}(\theta) = \sigma_X^2 10^{-\frac{SNR_{TX}}{10}} |DFT(h_{tn}(n))|^2 / f_b$
 - This is power spectral density from the transmitter noise
 - $\sigma_G^2 = f_b \int_{-\pi}^{\pi} [S_{tn}(\theta) + \dots] d\theta$
 - σ_G^2 is a noise variance used to compute COM as in 93A but computed differently
 - $f_b \int_{-\pi}^{\pi} [S_{tn}(\theta)] d\theta$ is the transmitter noise power variance computed in the frequency domain

Use power of the time domain fitted sampled pulse response

□ Use the sampled pulse

$$p(n) = [p(t_p + M(-D_p) \ p(t_p - M(1 - D_p) \ p(t_p - M(2 - D_p)) \ p(t_p + M(N_p - D_p - 1))]$$

- t_p is the index of the linear fit pulse where p(t_p) equals maximum p
- M is the oversampling
- This is similar to SNR_{ISI} in Annex 120D
- For the "S" in SNDR use the power variance of the signal at the measurement point as follows which is the in time and frequency domain

•
$$\sigma_P^2 = \sum_{1}^{M(N_p - Dp - 1)} p(n)^2$$

• Instead of p_{max}





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Adjust SNDR for loss

LOSS CORRECTION FACTOR (LCF)

- Consider SNDR as a ratio of signal power variance to noise power variance
 - Perhaps: SNDR should be $10 * log_{10} \left(\frac{\sigma_P^2}{\sigma_0^2 + \sigma_m^2} \right)$

□ So we don't change prior standards, adjust SNDR with LCF

•
$$SNDR = 10 * log_{10} \left(\frac{p_{max}^2}{\sigma_e^2 + \sigma_n^2} \right) + LCF$$

•
$$LCF = 10 * log 10 \left(\frac{\sigma_P^2}{p_{max}^2}\right)$$

• This was the basis for the previous graphs of SNDR and the corrected SNDR

Summary

□ SNDR was shown to reduce with channel insertion loss

- \Box SNDR remains constant with loss if adjusted with σ_P^2
 - Assuming the transmitter noise is broadband
- Proposal: Change SNDR specifications to adjust measurement at TPOV and TP2 with LCF
 - As defined in the previous slide
 - This aligns SNDR to measurements to usage model in equation 178A-18

Thank You!